

Advantages of using **Code Case 2695** and the Comparison between ASME **Division 1** and **Division 2**

Technology to help you

CC 2695 uses Division 2 technology for Division 1 - Saves:

- ☐ **Weight**
- ☐ **Material** (mainly **heads**, not cylinders or cones)
- ☐ **Reduce nozzle re-pads** (in some cases)
- ☐ **Reduce welding** time and consumables

Why:

- ☐ **Uses ASME Section VIII **Division 2** technology**
- ☐ **But: with **Division 1** lower allowable stresses**

Presented by: Ray Delaforce



PV Elite demonstration - Calculation of a Head

Here are the details:

- ☐ Elliptical Head
- ☐ P = Internal pressure 1,75 MPa
- ☐ D = Internal diameter 1 500 mm
- ☐ S = Allowable stress 138 MPa

Division 1 calculation (demo first)

Required Thickness due to Internal Pressure [tr]:

$$\begin{aligned} &= (P \cdot D \cdot K_{cor}) / (2 \cdot S \cdot E - 0.2 \cdot P) \text{ Appendix 1-4(c)} \\ &= (1.750 \cdot 1500.0000 \cdot 1.000) / (2 \cdot 138.00 \cdot 1.00 - 0.2 \cdot 1.750) \\ &= 9.5231 + 0.0000 = 9.5231 \text{ mm} \end{aligned}$$



Use a 12 mm plate

Division 2 calculation (demo first)

Computed Minimum Required Thickness [t]:

$$\begin{aligned} tr &= 8.5872 \text{ mm} \\ t &= tr + ci + co \\ &= 8.5872 + 0.0000 + 0.0000 \\ &= 8.5872 \text{ mm} - \text{see below for the derivation} \end{aligned}$$



Use a 10 mm plate

This might be a small saving but:





PV Elite demonstration - Nozzle Reinforcement

Here are the details:

- ❑ First a 10 mm thick pad x 380 mm Outside diameter

Division 1 calculation (demo first)

Pad or Hub Properties			
Pad Material :	SA-516 70	▶	Matl...
Pad Diameter / Width :	380	53.475	mm
Pad Thickness :	10		mm
Groove Weld Depth :	10		mm
Weld Leg at Pad OD :	8	7.072	mm

Division 2 calculation (demo first)

Pad or Hub Properties			
Pad Material :	SA-516 70	▶	Matl...
Pad Diameter / Width :	370	48.475	mm
Pad Thickness :	6		mm
Groove Weld Depth :	6		mm
Weld Leg at Pad OD :	6	No Calc	mm

This is the saving: _____



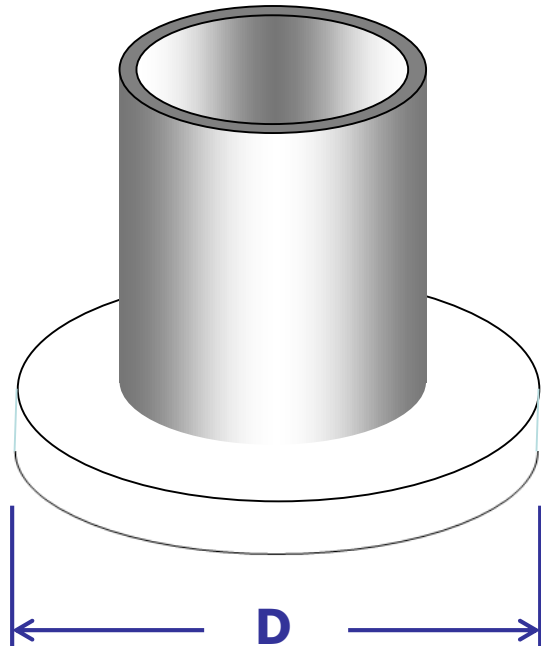
Consider a nozzle reinforcement pad using CC 2695

The re-pad size could be reduced perhaps

Length of welding:

Approximately $3 \times D$

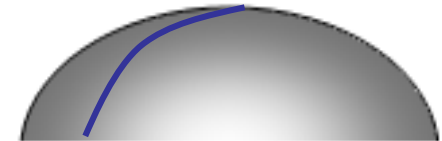
If there are many re-pads – big saving





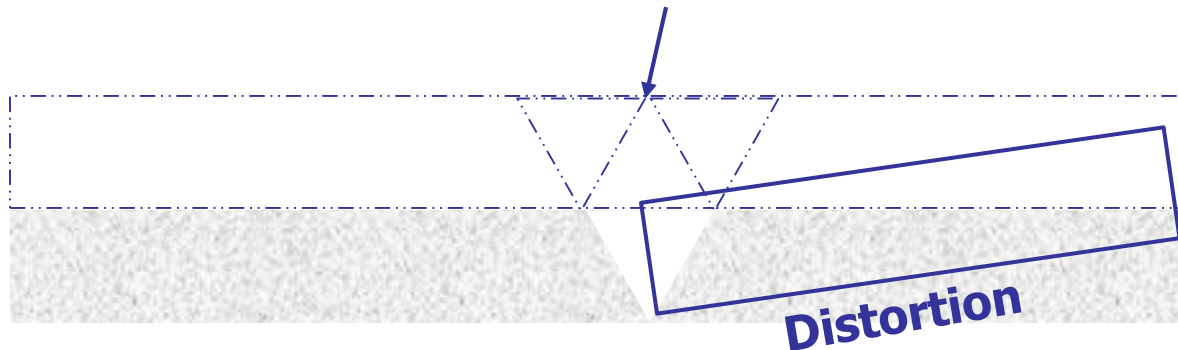
If a disc is welded to make a head

If the thickness is doubled, welding is **4** times as much welding



After forming

Metal shrinks as it cools



Save:

- ☐ Welding time
- ☐ Welding consumables
- ☐ Welding distortion

The greater the metal, the greater the distortion



CC 2695: There are other advantages – especially over **Division 2**

Requirements for Division 2

- ☐ More **Radiography**
- ☐ More rigorous **inspection**
- ☐ Calculations signed of by a **Professional Engineer**
- ☐ An operator's manual is required
- ☐ Restriction of some **materials** over Division 1
- ☐ A very comprehensive **data package** required
- ☐ A **Fatigue** analysis is required (more of this later)

Requirements for Division 1

- ☐ Less radiography
- ☐ Less inspection
- ☐ Simple **U-1 form** required only

Only drawback – lower stresses allowed



Comparison of **Division 1** and **Division 2** allowable stresses

This is the stated allowable stress for **Division 1**

$$\begin{aligned} S &= \text{The less of: } \frac{UTS}{3,5} \quad \text{or} \quad \frac{Yield}{1,5} \\ &= \text{The less of: } \frac{483}{3,5} \quad \text{or} \quad \frac{263}{1,5} \\ &= \text{The less of: } 138 \text{ MPa} \quad \text{or} \quad 174 \text{ MPa} \quad = 138 \text{ MPa} \end{aligned}$$

This is the stated allowable stress for **Division 2**

$$\begin{aligned} S &= \text{The less of: } \frac{UTS}{2,4} \quad \text{or} \quad \frac{Yield}{1,5} \\ &= \text{The less of: } \frac{483}{2,4} \quad \text{or} \quad \frac{263}{1,5} \\ &= \text{The less of: } 201 \text{ MPa} \quad \text{or} \quad 174 \text{ MPa} \quad = 174 \text{ MPa} \end{aligned}$$

For SA 516 70 material: **UTS = 483 MPa** and **Yield = 263 MPa**

Division 1 controlled by UTS, **Division 2** controlled by Yield



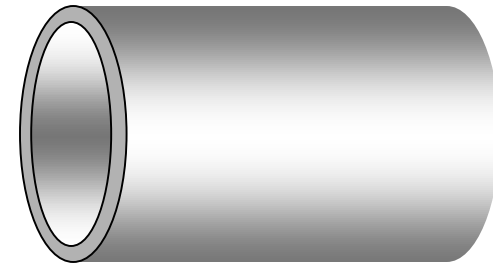
Comparison of **Division 1** and **Division 2** allowable stresses

Consider the **stress – strain diagram**, familiar to engineers

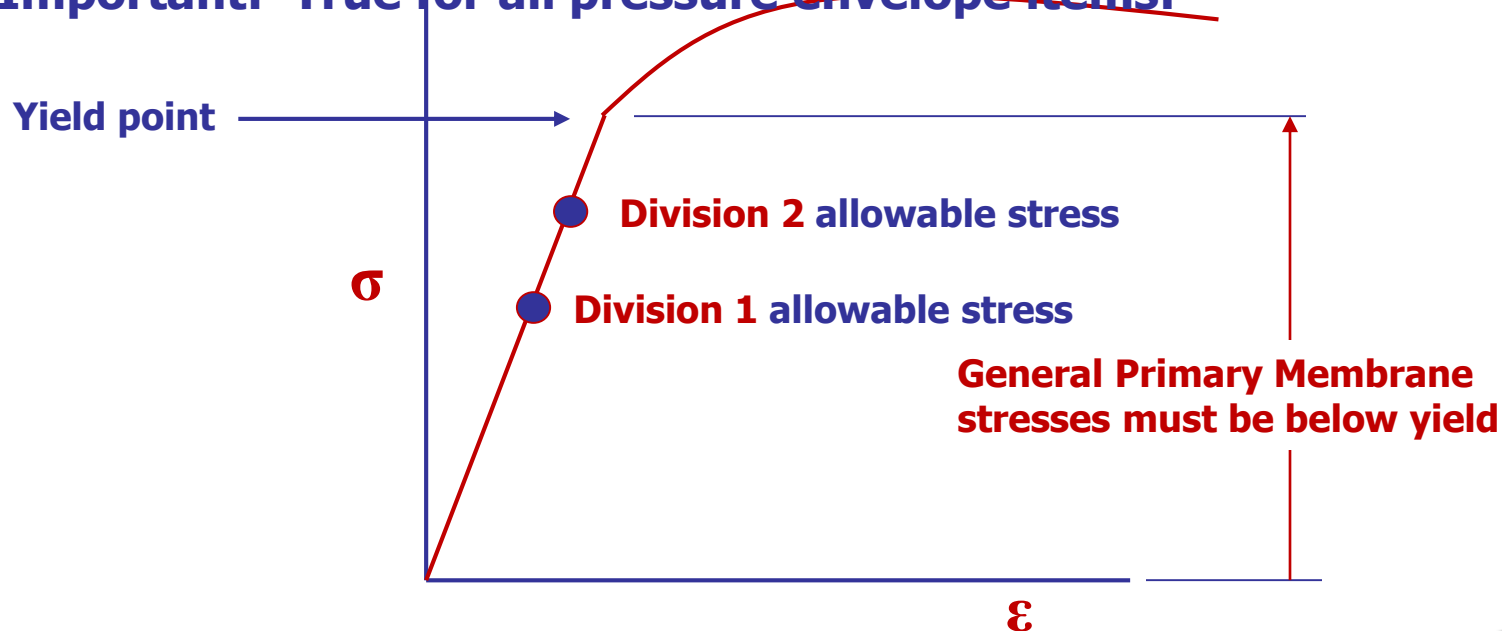
Division 1 has a greater **safety margin**

This is the stress in the cylinder wall from internal pressure

This is very important for safety !



Important: True for all pressure envelope items:





Comparison of **Division 1** and **Division 2** allowable stresses

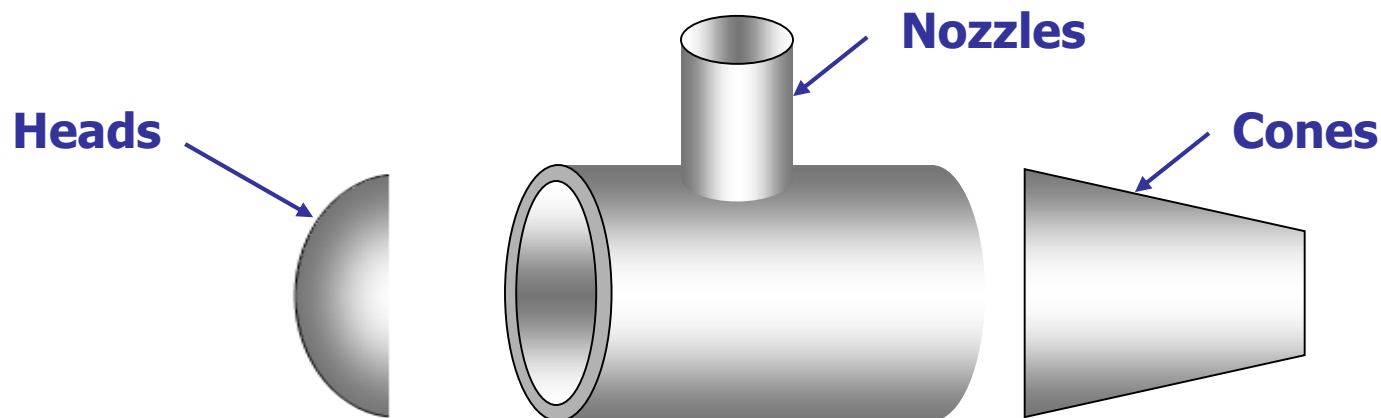
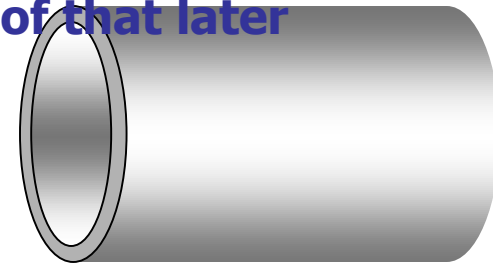
Consider the **stress – strain diagram**, familiar to engineers

Certain stresses can exist here, but more of that later

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Important: True for all pressure envelope items:



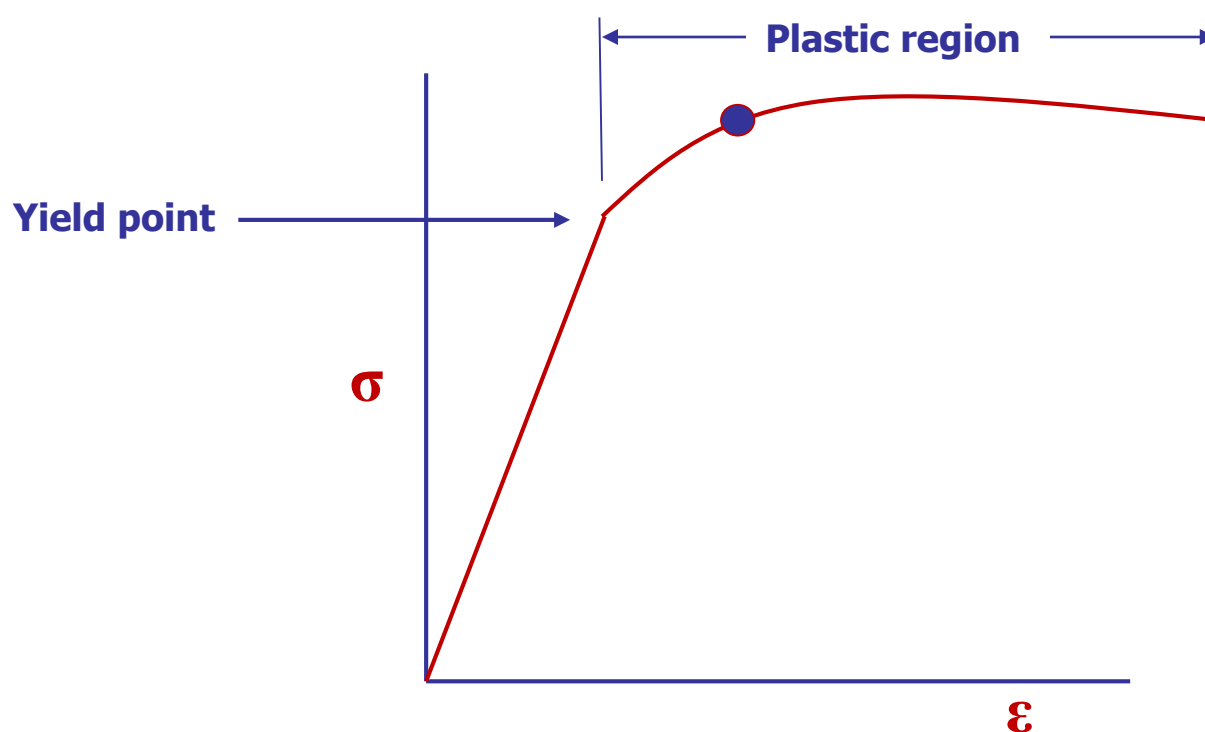


Comparison of **Division 1** and **Division 2** allowable stresses

Consider the **stress – strain diagram**, familiar to engineers

Certain stresses can exist here, but more of that later

These are known as **Secondary Stresses** – treated differently





Comparison of **Division 1** and **Division 2** allowable stresses

Division 1 and Division 2 use **different** theories of failure

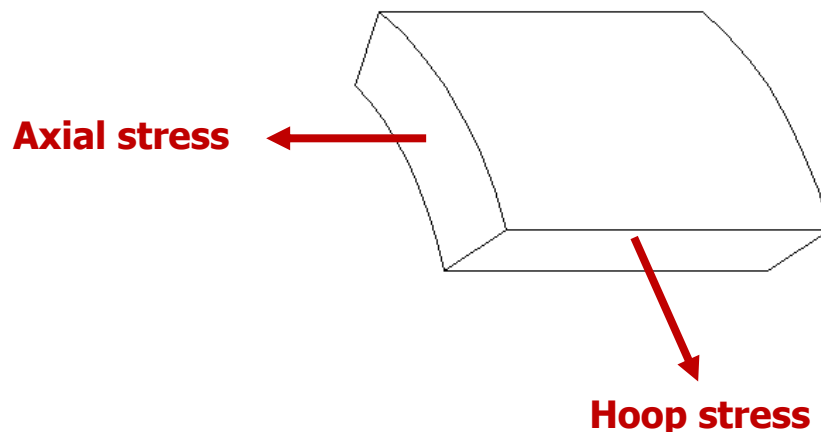
Consider a cylinder element subject to internal pressure

Generally the hoop stress is **twice** the axial stress

Also known as **Principle Stresses** – because there are **no shear** stresses

Division 1 **only** considers the Hoop Stress

So, Division 1 uses the **Maximum Principle Stress one** – ignores axial





Comparison of **Division 1** and **Division 2** allowable stresses

Division 1 and Division 2 use **different** theories of failure

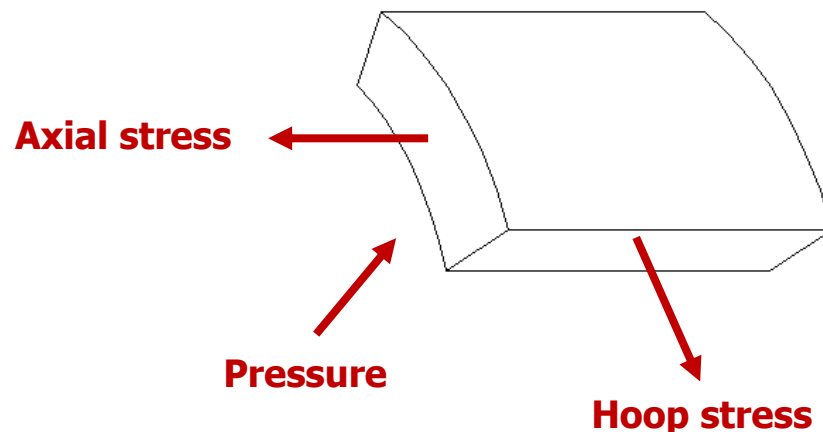
There is actually a third stress we have ignored - **Pressure**

Division 2 considers **all three stresses** in its analysis

Maximum principle stress assumes the component fails in **tension**

This is **NOT** the case

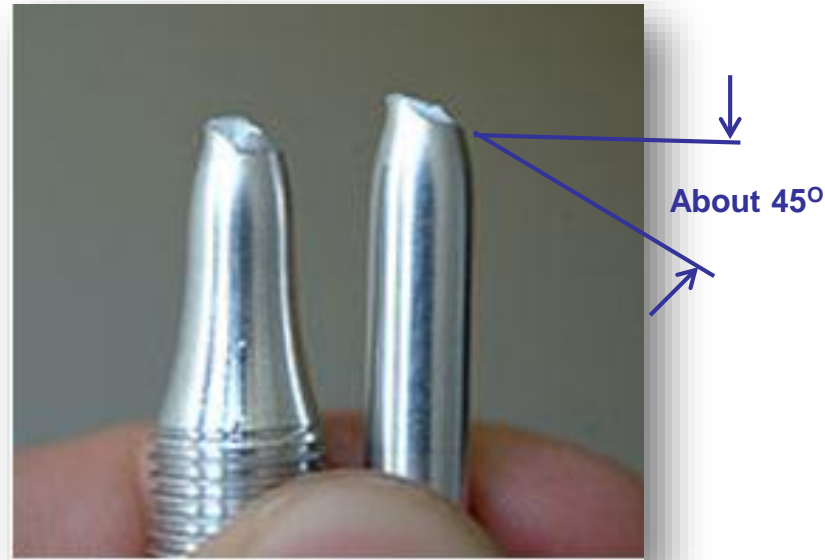
Even though **Division 1** is based on the assumption





Comparison of **Division 1** and **Division 2** allowable stresses

Look at this test piece that has been tensile tested



The mechanism of failure is fracture at 45°

This highlights an important principle



Comparison of **Division 1** and **Division 2** allowable stresses

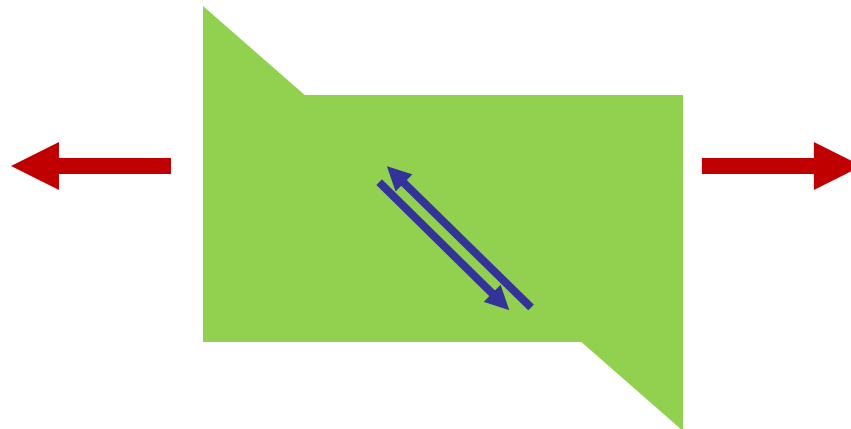
Consider a block of metal that **fails at 45°** in a tensile test

This what happens , there are **shear** forces on the fracture planes

Normal forces exist also – but we shall ignore them for now

So, generally fracture takes place in **shear**, not tension

This leads is to an important concept

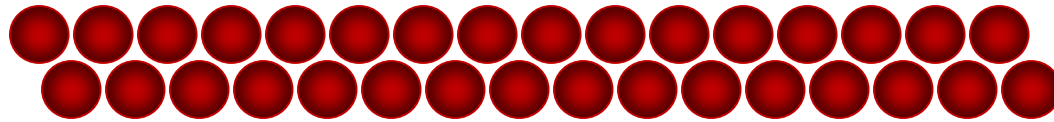




Comparison of **Division 1** and **Division 2** allowable stresses

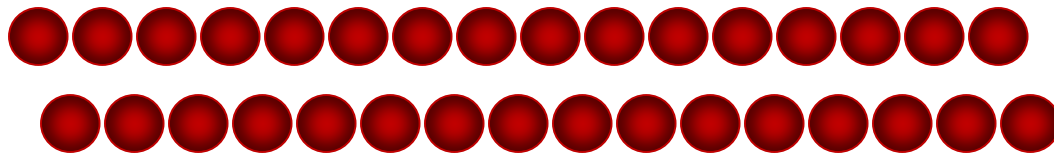
Our first theory of failure – based upon failure in shear

Atoms lie in sheets like this , and sliding takes place which is **shear**

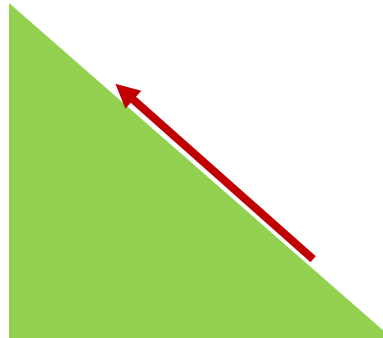


This gives rise to the shear stress on the fracture plane

Division 1 assumes the fracture occurs in tension – not quite correct



This is according to the **Maximum Principle Stress** theory





Comparison of **Division 1** and **Division 2** allowable stresses

Logically, the failure would occur when **shear stress is maximum**...

Suppose we have two orthogonal stresses, plotted on **Mohr diagram**

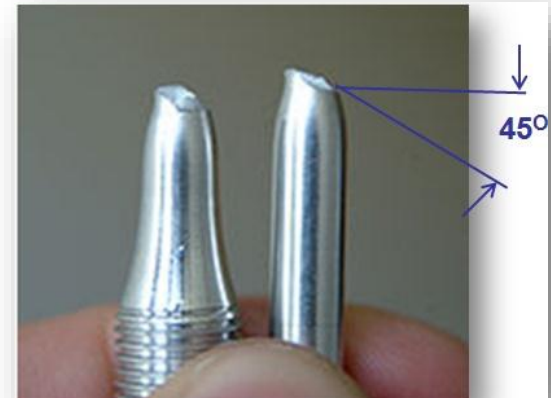
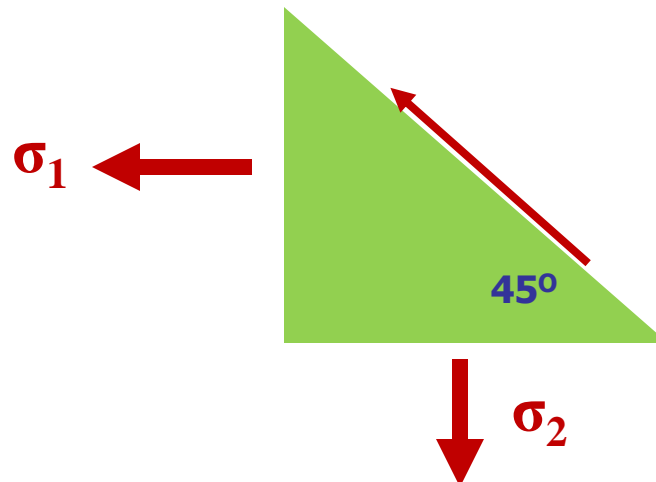
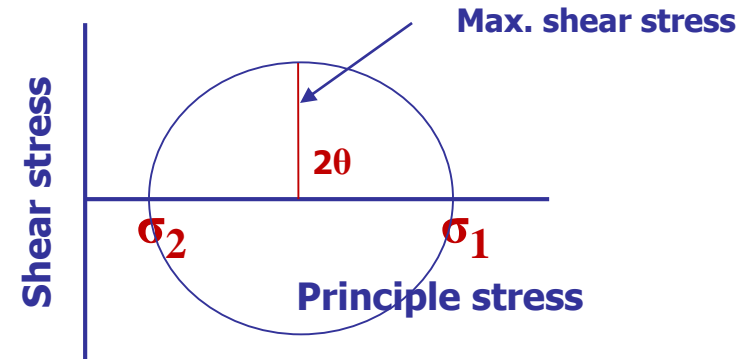
Draw the Mohr Circle

Maximum shear stress = $(\sigma_1 - \sigma_2)/2$

The Mohr angle is $2\theta = 90^\circ$

Thus $\theta = 45^\circ$

This gives rise to a theory of failure





Comparison of **Division 1** and **Division 2** allowable stresses

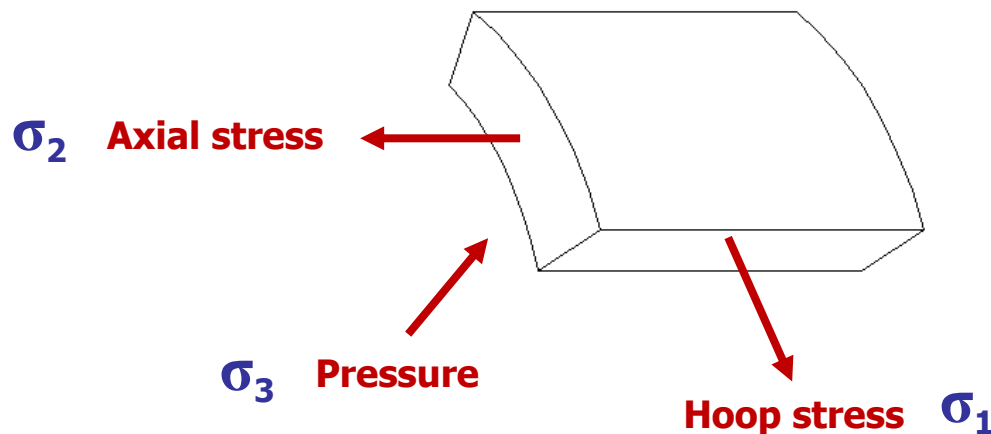
This known as the **TRESCA** or maximum shear stress theory

Collapse occurs when:

$$\sigma_Y = \max(|\sigma_1 - \sigma_2|, |\sigma_2 - \sigma_3|, |\sigma_3 - \sigma_1|)$$

And here are the stresses:

This was the situation up until the **2004** edition of Division 2



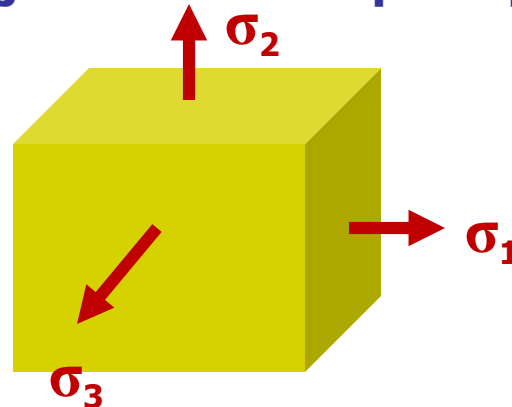


Comparison of **Division 1** and **Division 2** allowable stresses

The **2007** version of Division 2 changed in technology

It used the Maximum Shear Strain Energy of **von Mises Theory**

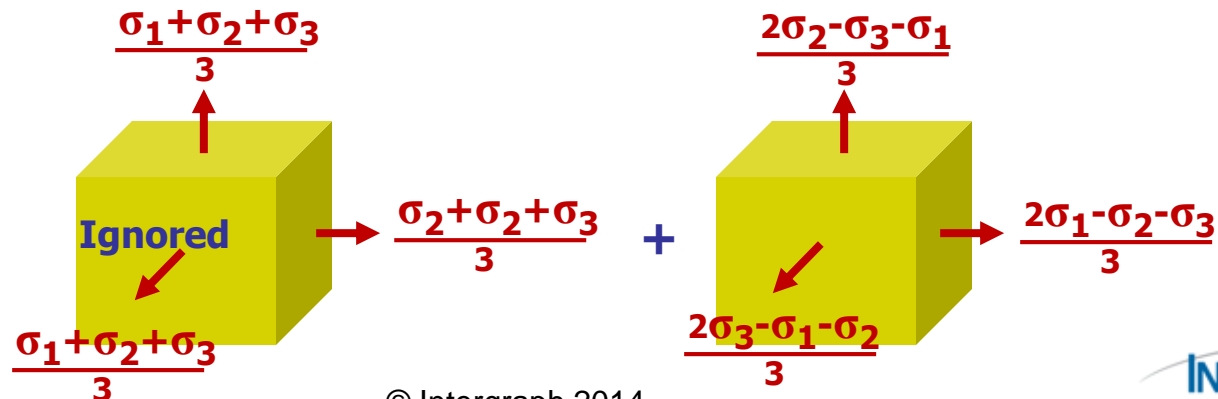
Consider a block subjected to three principle stresses



This is divided into two components like this:

Volume change

Shear strain energy – **von Mises**





Comparison of **Division 1** and **Division 2** allowable stresses

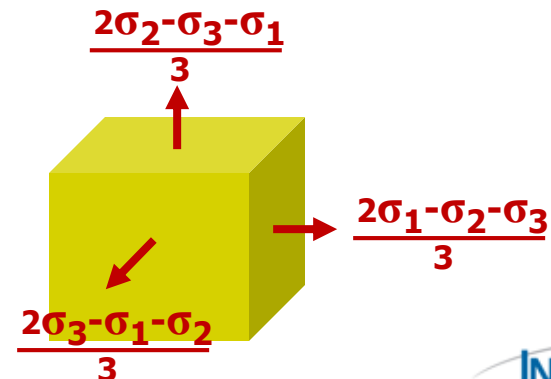
This is the **von Mises** Equation

$$\sigma_Y = \frac{1}{\sqrt{2}} [(\sigma_1 - \sigma_2)^2, (\sigma_2 - \sigma_3)^2, (\sigma_3 - \sigma_1)^2]^{0,5}$$

It yields a result close to the **Tresca** equation

We now have three theories of failure

Shear strain energy – von Mises



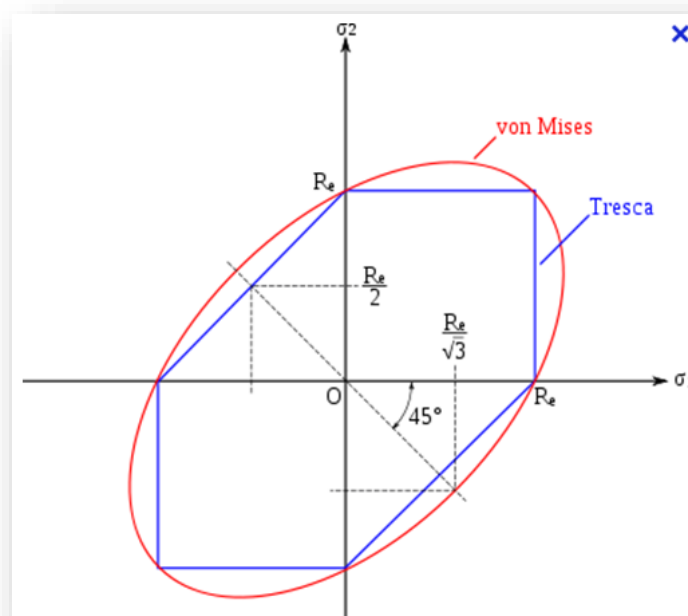


Comparison of **Division 1** and **Division 2** allowable stresses

The three theories of failure compared

- ❑ **Rankin – Maximum Principle stress**
 - The basis for **ASME VIII, Division 1**
- ❑ **Tresca - Maximum Shear stress**
 - The basis for **ASME VIII, Division 2** up to 2004
- ❑ **von Mises – Maximum Shear strain energy**
 - The basis for **ASME VIII, Division 2** from 2007

Here is a comparison between **Tresca** and **von Mises**

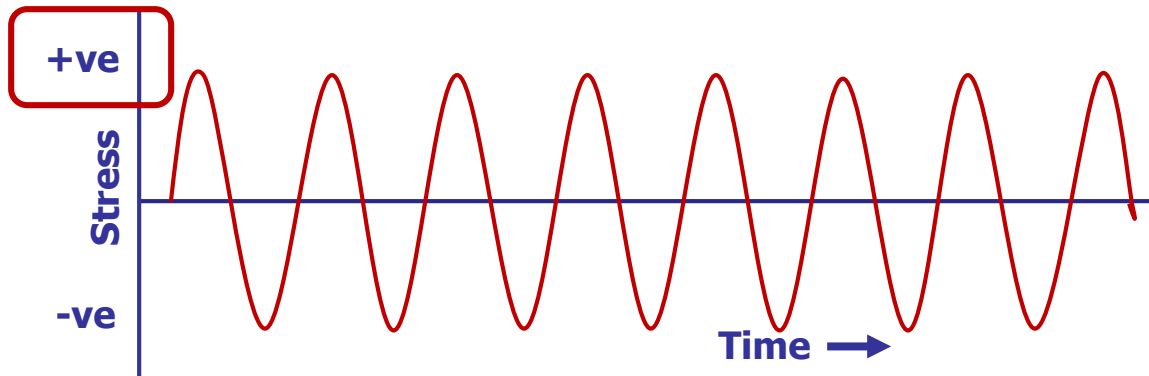




Unlike Division 1, **Division 2** requires a fatigue evaluation

First we need a definition of **fatigue** (not getting tired!)

Fatigue is incremental crack growth under **cyclic loading**



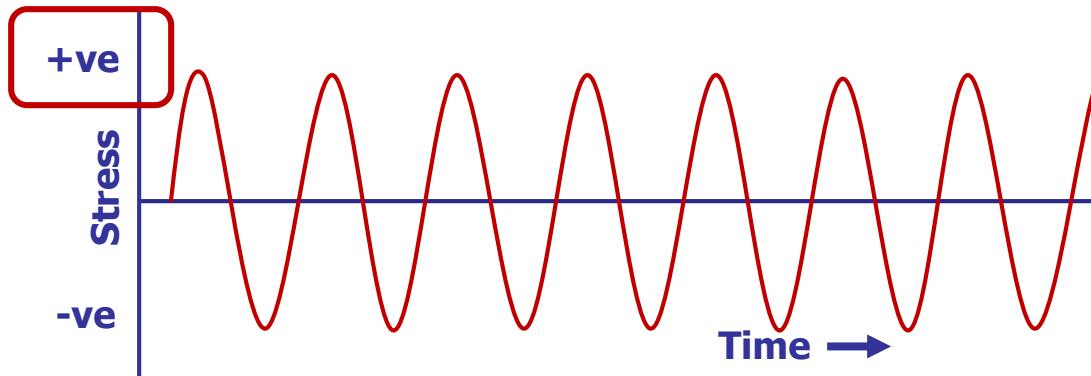
When the component is in tension, the crack grows each time



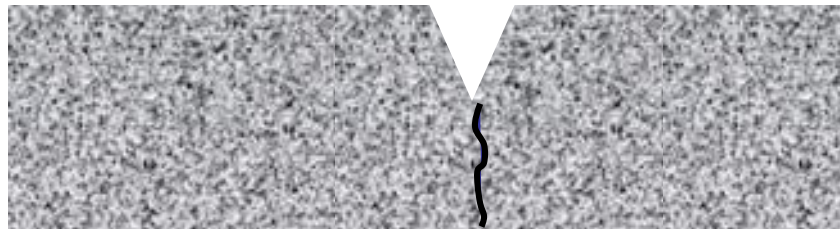
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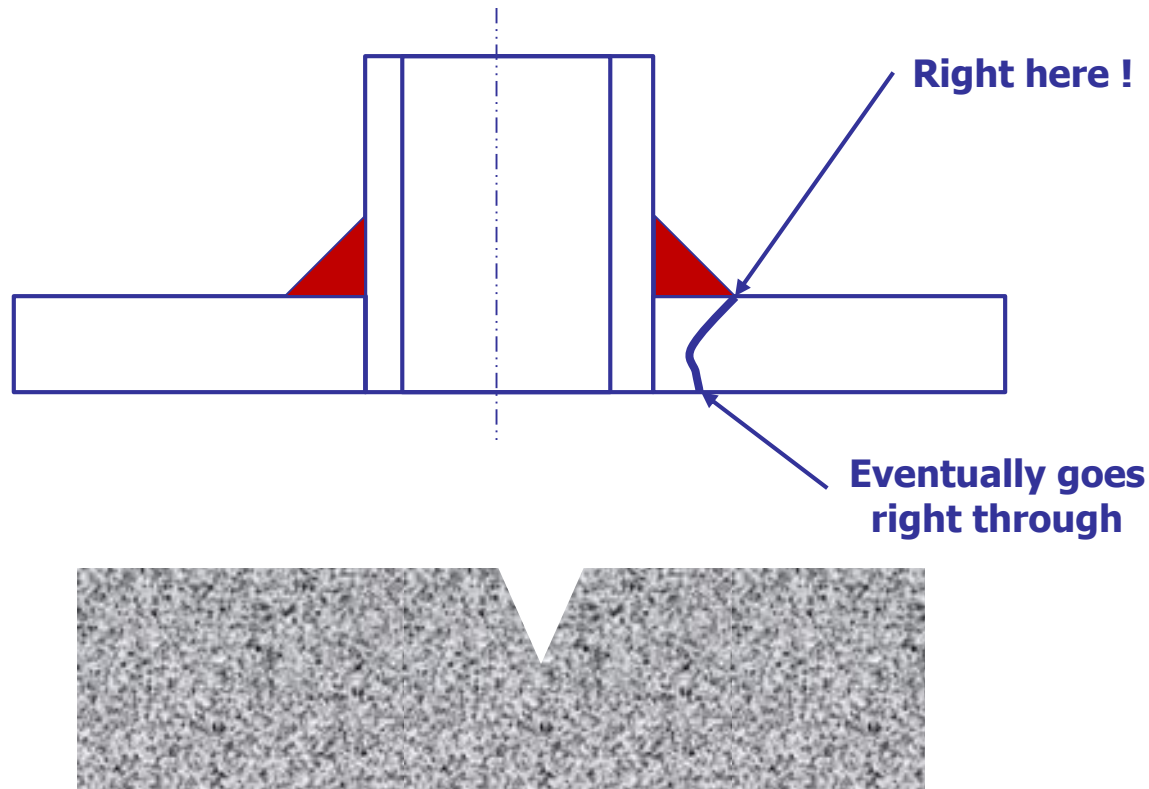
Eventually the crack deepens until it is a through crack



Unlike Division 1, **Division 2** requires a fatigue evaluation

What is the source of this **starter crack** ? Consider a Nozzle

The good news – it is not a catastrophic failure



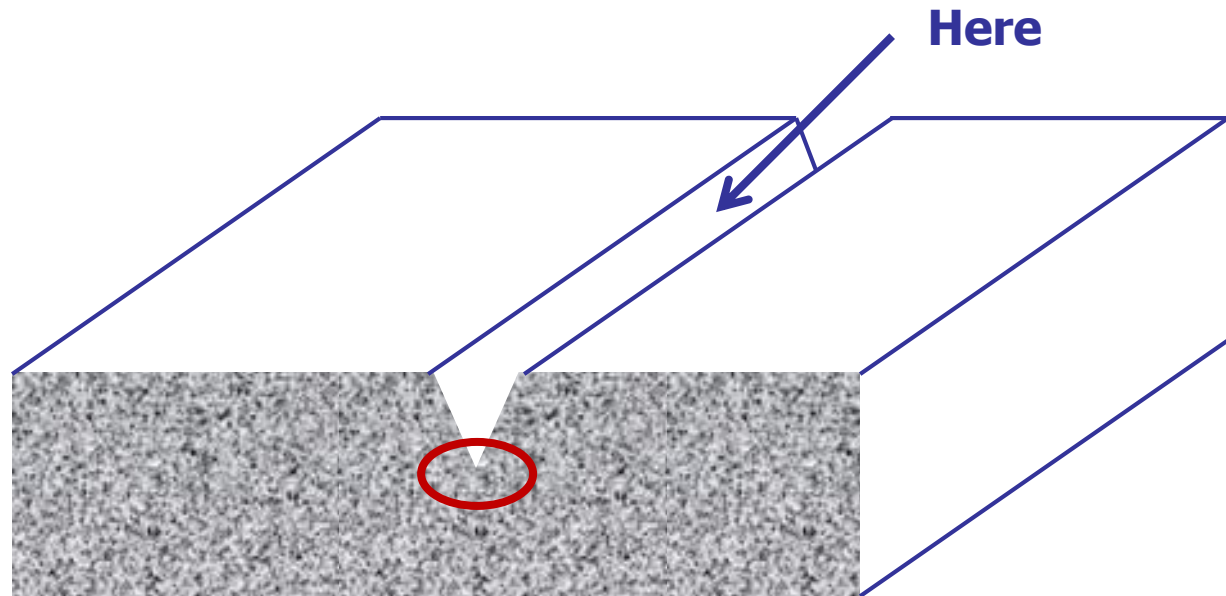


Unlike Division 1, **Division 2** requires a fatigue evaluation

The internal strain energy from tension promotes 2 free surfaces

In this region, the stresses are **very high**

Consider those stresses on the Stress-Strain diagram





Unlike Division 1, **Division 2** requires a fatigue evaluation

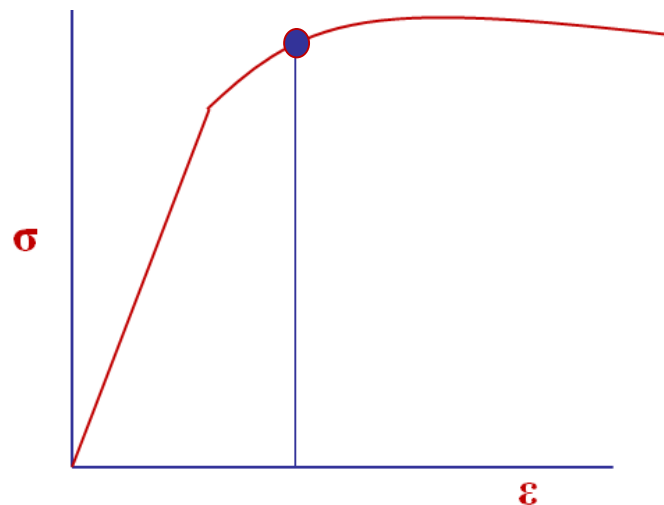
The internal strain energy from tension promotes 2 free surfaces

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Consider those stresses on the Stress-Strain diagram

The fatigue stress is in the **PLASTIC** region, with a **large strain**

Note the strain at the bottom of the diagram





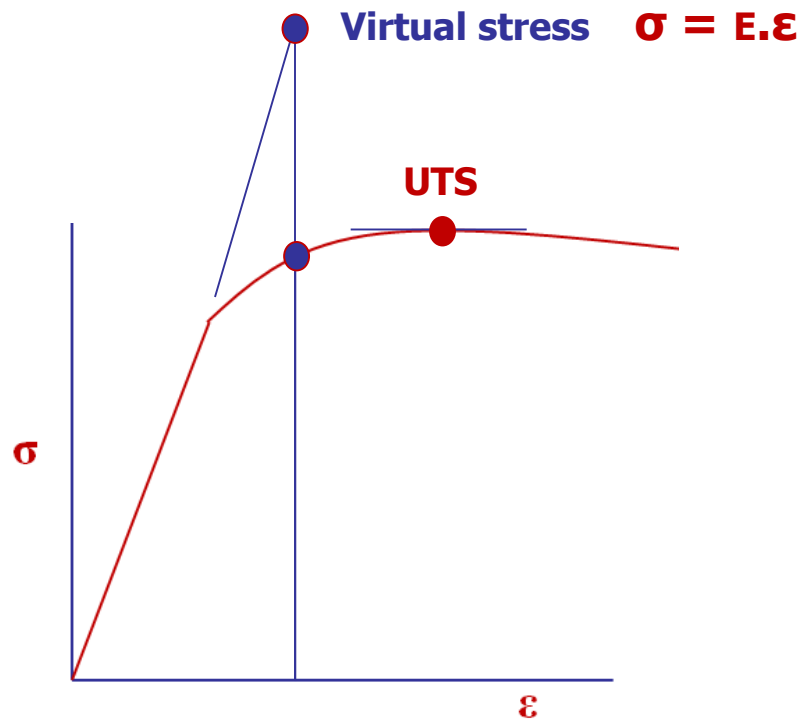
Unlike Division 1, **Division 2** requires a fatigue evaluation

We can project lines to find a Virtual Stress based on the strain

This is a computed stress based on the **Elastic Modulus** – not real

Note: The **virtual stress** is **higher** than the UTS of the metal

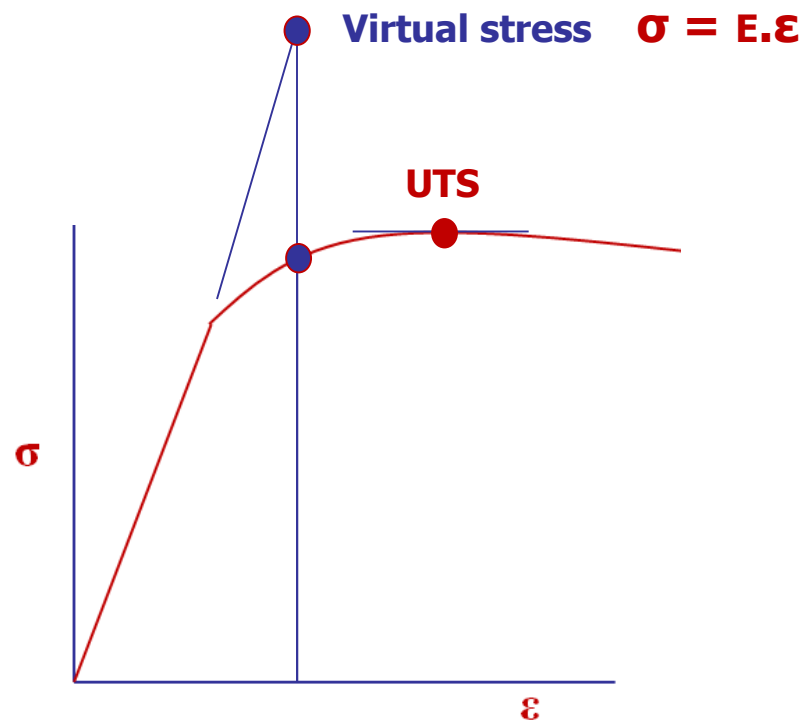
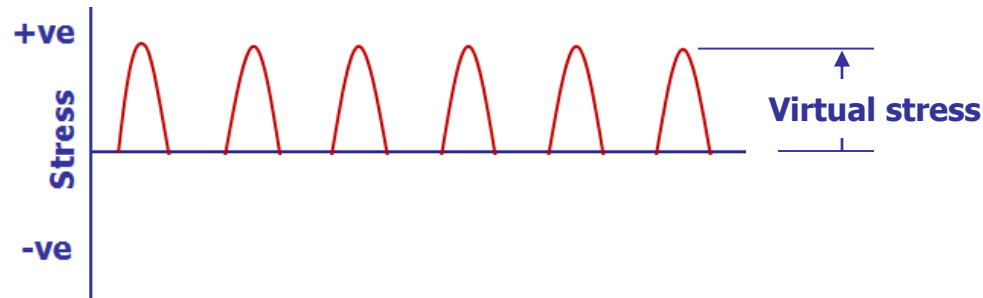
Actual stresses **CANNOT** really exist above the curve





Unlike Division 1, **Division 2** requires a fatigue evaluation

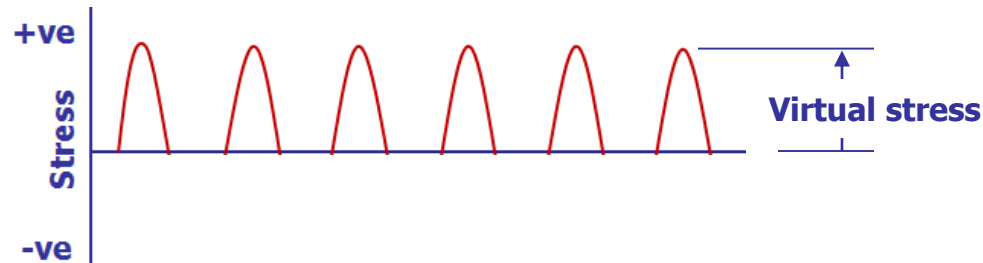
The number of cycles to failure depends in the **tensile** magnitude





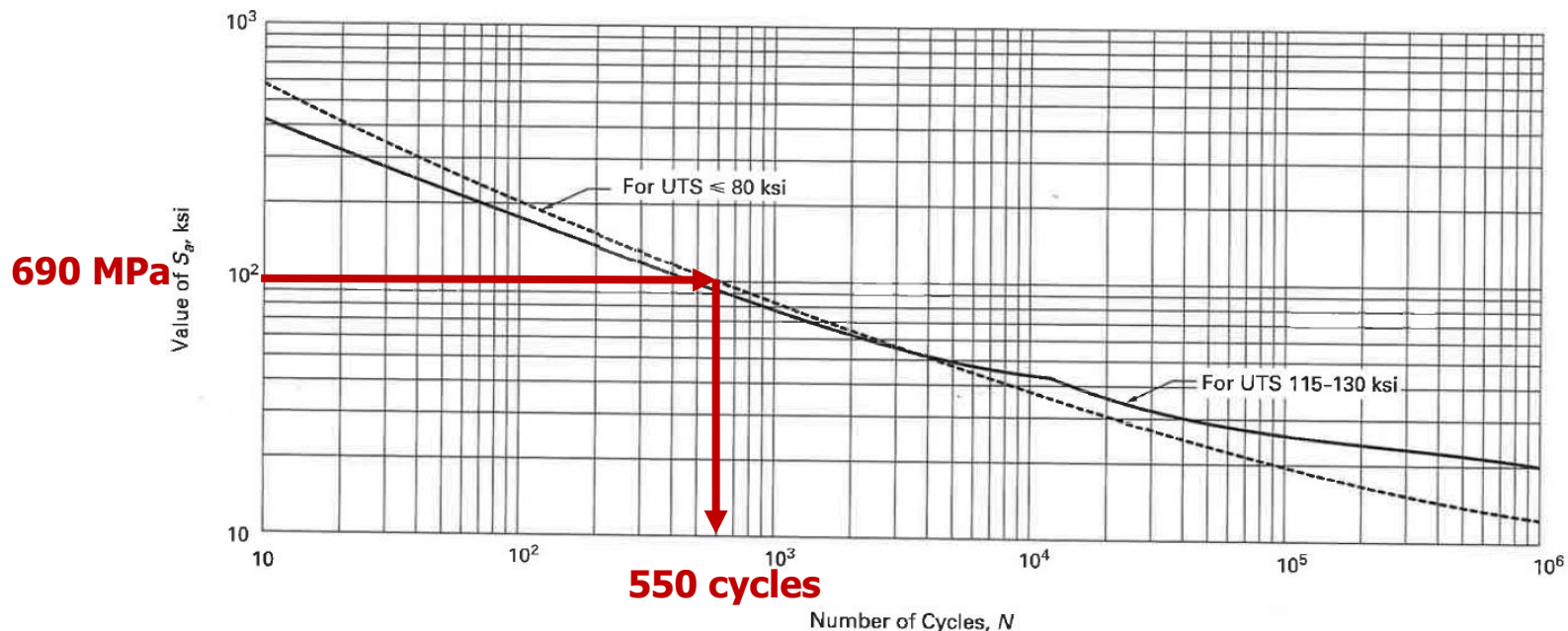
Unlike Division 1, **Division 2** requires a fatigue evaluation

Consider a typical fatigue curve from the 2004 Division 2



Here is a virtual stress of **690 MPa** (well above UTS)

We can read off the **number of cycles** allowed by the code





Unlike Division 1, **Division 2** requires a fatigue evaluation

PV Elite example (demo first)

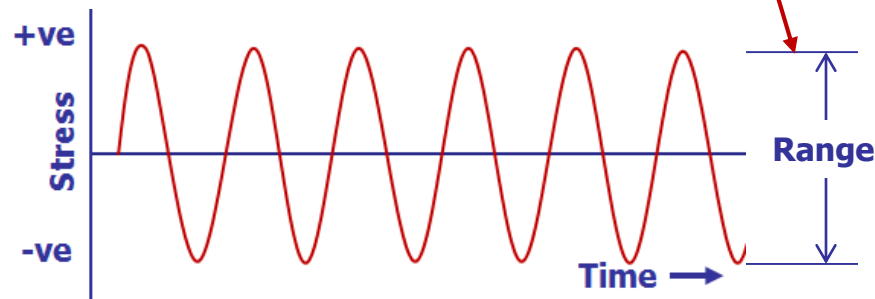
Input Values: Pressure in: MPa

Case	Pressure 1	Pressure 2	Range	Number of Cycles
1	0.000	1.750	1.750	30000.
2	0.500	1.250	0.750	15000.
3	0.750	1.300	0.550	200000.

Pressure indices per Table 5.D.1 for Internal Pressure Loading:

	Inside	Outside
Stress	Corner	Corner
sn	2.0000	2.0000
st	-.2000	2.0000
sr	-.0267	0.0000
s	2.2000	2.0000

We get the Stress Concentration Factor (scf) from Division 2





Unlike Division 1, **Division 2** requires a fatigue evaluation

PV Elite example (demo first)

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Table 5.D.1 – Stress Indices For Nozzles In Spherical Shells And Portions Of Formed Heads

Stress	Inside Corner	Outside Corner
σ_n	2.0	2.0
σ_t	-0.2	2.0
σ_r	$-\frac{2t}{R}$	0.0
σ	2.2	2.0



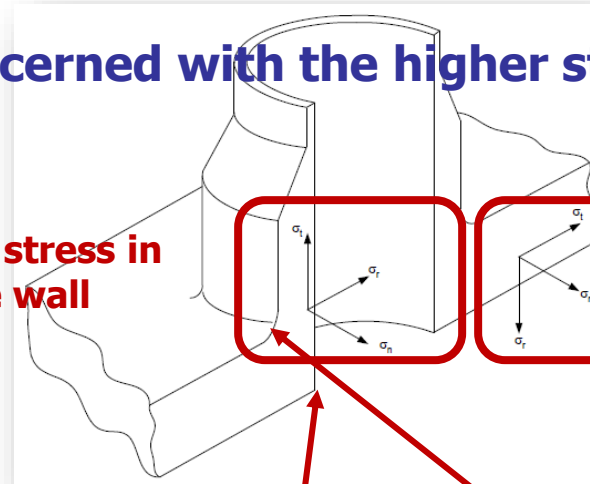
Unlike Division 1, **Division 2** requires a fatigue evaluation

PV Elite example (demo first)

Here are the locations for the nozzle per Division 2

We are mainly concerned with the higher stresses **in the shell**

These are the stress in the nozzle wall



These are the stress in the shell (head)

We get the Stress Concentration Factor (scf) from Division 2

Table 5.D.1 – Stress Indices For Nozzles In Spherical Shells And Portions Of Formed Heads

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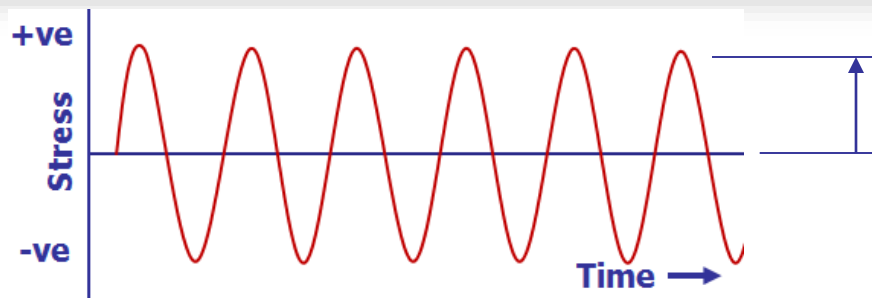
Unlike Division 1, **Division 2** requires a fatigue evaluation

PV Elite example (demo first)

Continuing with the output **from PV Elite**

This is the **stress** in the head **x the scf** for the amplitude (not range)

Stress Intensity after applying the Pressure Index (amplitude) [Sa]:
= 130.4187 MPa



**Amplitude is half
the range**

Case 1 Membrane Stress: Adjusted below per above Index table:

	Stress	Inside Corner	Outside Corner
sn	59.281	118.562	118.562
st	59.281	-11.856	118.562
sr	59.281	-1.581	0.000
sint	59.281	130.419	118.562



Unlike Division 1, **Division 2** requires a fatigue evaluation

PV Elite example (demo first)

Continuing with the output **from PV Elite**

~~This is the stress graph that the Division 2 analysis calculated~~

Stress Intensity after applying the Pressure Index (amplitude) [Sa]:

= 130.4187 MPa

Case 1 Membrane Stress: Adjusted below per above Index table:

	Stress	Inside Corner	Outside Corner
sn	59.281	118.562	118.562
st	59.281	-11.856	118.562
sr	59.281	-1.581	0.000
sint	59.281	130.419	118.562

The greatest stress



Unlike Division 1, **Division 2** requires a fatigue evaluation
PV Elite example (demo first)

Continuing with the output **from PV Elite**

There is no S-N graph in the 2013 Division 2 – **N** is calculated

C Factors used in the above equation:

C1 = 2.25451 C2 = -.464224 C3 = -.831275 C4 = 0.863466E-01
C5 = 0.202083 C6 = -.694053E-02 C7 = -.207973E-01 C8 = 0.201024E-03
C9 = 0.713772E-03 C10 = 0.00000 C11 = 0.00000

From the table, $E_{Fc} = 195128 \text{ MPa}$

Compute the Number of Cycles from Equation 3.F.1 [N]:

= 10^X
= $10^{(5.102)}$
= 126603 Cycles

Case	StressIntens	N cycles	Nmax cycles	Damage Factor
1	130.419	30000.	0.1266E+06	0.237
2	55.894	15000.	0.1095E+11	0.000
3	40.989	200000.	0.1000E+12	0.000
Total: Damage Factor:				0.237

Fatigue Analysis Passed: Damage Factor < 1.00

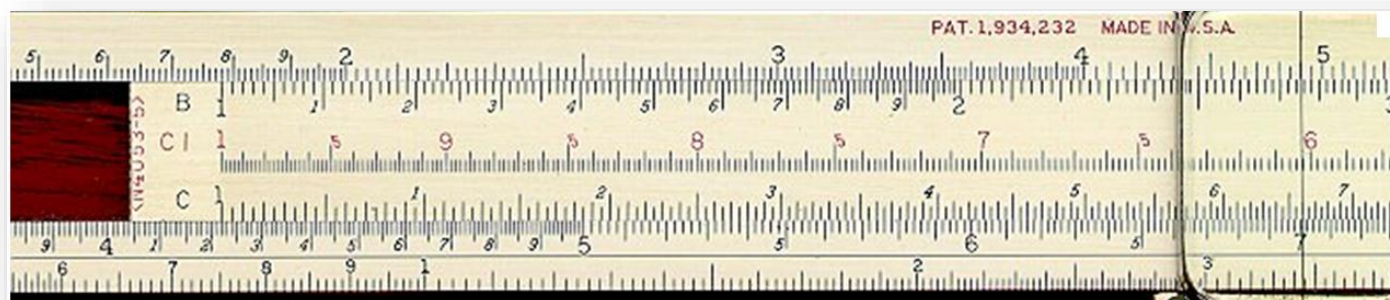


Does **Division 1** have any advantages ?

Division 1 was first published in 1925

- ☐ There were no computers
- ☐ There was no convenient software
- ☐ There were no calculators
- ☐ Engineers had:
 - A sliderule
 - Logarithm tables (for accurate work)
 - Erasures
 - Patience

Here is a typical **sliderule**, which very few can use today !



It doesn't tell you where to place the decimal point (or comma)



Does **Division 1** have any advantages ?

Division 1 was first published in 1925

Just look at this **simple formula** for an **elliptical head**

$$t = \frac{PD}{2SE - 0.2P} \quad \text{or} \quad P = \frac{2SEt}{D + 0.2t} \quad (1)$$

That calculation can be done in a couple of minutes



Does **Division 1** have any advantages ?

Now look at a **Division 2** equation for the head, compare the two !

- b) STEP 2 – Compute the head L/D , r/D , and L/t ratios and determine if the following equations are satisfied. If the equations are satisfied, then proceed to Step 3; otherwise, the head shall be designed in accordance with Part 5.

$$0.7 \leq \frac{L}{D} \leq 1.0 \quad (4.3.5)$$

$$\frac{r}{D} \geq 0.06 \quad (4.3.6)$$

$$20 \leq \frac{L}{t} \leq 2000 \quad (4.3.7)$$

- c) STEP 3 – Calculate the following geometric

$$\beta_{th} = \arccos\left[\frac{0.5D-r}{L-r}\right], \text{ radians}$$

$$\phi_{th} = \frac{\sqrt{Lt}}{r}, \text{ radians} \quad (4.3.9)$$

$$R_{th} = \frac{0.5D-r}{\cos[\beta_{th} - \phi_{th}]} + r \quad \text{for } \phi_{th} < \beta_{th} \quad (4.3.10)$$

$$R_{th} = 0.5D \quad \text{for } \phi_{th} \geq \beta_{th} \quad (4.3.11)$$

- d) STEP 4 – Compute the coefficients C_1 and C_2 using the following equations.

$$C_1 = 9.31\left(\frac{r}{D}\right) - 0.086 \quad \text{for } \frac{r}{D} \leq 0.08 \quad (4.3.12)$$

$$C_1 = 0.692\left(\frac{r}{D}\right) + 0.605 \quad \text{for } \frac{r}{D} > 0.08 \quad (4.3.13)$$

$$C_2 = 1.25 \quad \text{for } \frac{r}{D} \leq 0.08 \quad (4.3.14)$$

$$C_2 = 1.46 - 2.6\left(\frac{r}{D}\right) \quad \text{for } \frac{r}{D} > 0.08 \quad (4.3.15)$$

- f) STEP 6 – Calculate the value of internal pressure that will result in a maximum stress in the knuckle equal to the material yield strength.

$$P_y = \frac{C_3 t}{C_2 R_{th} \left(\frac{R_{th}}{2r} - 1 \right)} \quad (4.3.17)$$

If the allowable stress at the design temperature is governed by time-independent properties, then C_3 is the material yield strength at the design temperature, or $C_3 = S_y$. If the allowable stress at the design temperature is governed by time-dependent properties, then C_3 is determined as follows.

- 1) If the allowable stress is established based on 90% yield criterion, then C_3 is the material allowable stress at the design temperature, or $C_3 = S_y$.
 2) If the allowable stress is established based on 67% yield criterion, then C_3 is the material allowable stress at the design temperature, or $C_3 = 1.5S$.

$$t = \frac{PD}{2SE - 0.2P} \quad \text{or} \quad P = \frac{2SEt}{D + 0.2t} \quad (1)$$

- g) STEP 7 – Calculate the value of internal pressure expected to result in a buckling failure of the knuckle.

$$P_{ck} = 0.6P_{eth} \quad \text{for } G \leq 1.0 \quad (4.3.18)$$

$$P_{ck} = \left(\frac{0.77508G - 0.20354G^2 + 0.019274G^3}{1 + 0.19014G - 0.089534G^2 + 0.0093965G^3} \right) P_y \quad \text{for } G > 1.0 \quad (4.3.19)$$

where

$$G = \frac{P_{eth}}{P_y} \quad (4.3.20)$$

- h) STEP 8 – Calculate the allowable pressure based on a buckling failure of the knuckle.

$$P_{ak} = \frac{P_{ck}}{1.5} \quad (4.3.21)$$

- i) STEP 9 – Calculate the allowable pressure based on rupture of the crown.

$$P_{ac} = \frac{2SE}{\frac{L}{t} + 0.5} \quad (4.3.22)$$

- j) STEP 10 – Calculate the maximum allowable internal pressure.

$$P_a = \min[P_{ak}, P_{ac}] \quad (4.3.23)$$



Does **Division 1** have any advantages ?

Now look at a **Division 2** equation for the head, compare the two !

The **Division 1** calculation is very simple

The **Division 2** has a number of complexities

- ❑ It is difficult to do the calculation by hand
- ❑ The required thickness **cannot** be computed by hand
 - You have to start with the thickness to derive the pressure
 - Can only be done by a computer
 - It is lengthy to be checked by hand

However, using CC 2695 have the advantage of the latest technology



Does **Division 1** have any advantages ?

Consider look at a **Division 2** procedure for cone junction analysis

It is exceedingly complex – a **computer has to be used** – no other way

It is **impossible** to do by hand

Table 4.3.1 – Large End Junction

Cylinder	Cone
Stress Resultant Calculation	Stress Resultant Calculation
$M_{sp} = Pr_L^2 M_{sN}$, see Table 4.3.3	$M_{cap} = M_{sp}$
$M_{sN} = X_L t_L M_{sN}$, see Table 4.3.4	$M_{sN} = M_{sN}$
$M_s = M_{sp} + M_{sN}$	$M_{cs} = M_{cap} + M_{sN}$
$Q_p = Pr_L Q_N$, see Table 4.3.3	$Q_c = Q \cos[\alpha] + N_s \sin[\alpha]$ (1)
$Q_N = X_L Q_N$, see Table 4.3.4	$R_c = \frac{R_L}{\cos[\alpha]}$
$Q = Q_p + Q_N$	$\beta_{co} = \left[\frac{3(1-\nu^2)}{R_c^2 t_c^2} \right]^{0.25}$
$\beta_{cy} = \left[\frac{3(1-\nu^2)}{R_L^2 t_L^2} \right]^{0.25}$	$N_{cs} = N_s \cos[\alpha] - Q \sin[\alpha]$ (2)
$N_s = \frac{PR_L}{2} + X_L$	$N_{cs} = \frac{PR_L}{\cos[\alpha]} + 2\beta_{co} R_c (-M_{cs} \beta_{co} - Q_c)$
$N_{cs} = PR_L + 2\beta_{cy} R_L (-M_s \beta_{cy} + Q)$	$K_{opc} = 1.0$
$K_{pc} = 1.0$	
Stress Calculation	Stress Calculation
$\sigma_{sm} = \frac{N_s}{t_L}$	$\sigma_{sm} = \frac{N_{cs}}{t_c}$
$\sigma_{sb} = \frac{6M_s}{t_L^2 K_{pc}}$	$\sigma_{sb} = \frac{6M_{cs}}{t_c^2 K_{opc}}$
$\sigma_{sm} = \frac{N_{cs}}{t_L}$	$\sigma_{sm} = \frac{N_{cs}}{t_c}$
$\sigma_{sb} = \frac{6M_{cs}}{t_L^2 K_{pc}}$	$\sigma_{sb} = \frac{6M_{cs}}{t_c^2 K_{opc}}$
Acceptance Criteria	Acceptance Criteria
$\sigma_{sm} \leq 1.5S$	$\sigma_{sm} \leq 1.5S$
$\sigma_{sm} \pm \sigma_{sb} \leq S_{PS}$	$\sigma_{sm} \pm \sigma_{sb} \leq S_{PS}$
$\sigma_{sm} \leq 1.5S$	$\sigma_{sm} \leq 1.5S$
$\sigma_{sm} \pm \sigma_{sb} \leq S_{PS}$	$\sigma_{sm} \pm \sigma_{sb} \leq S_{PS}$
Notes:	
1. The Q and N_s values used to determine the resultant shear force in the cone, Q_c , are the same as those defined for the cylinder.	
2. The Q and N_s values used to determine the resultant meridional membrane force in the	

In **Division 1**, the calculation can be done by hand
This is a just a small sample of the analysis



Consider the philosophy behind **Division 2**

To a large degree followed the **PED**:

❑ **E**uropean **P**ressure **E**quipment **D**irective

The derivation of the allowable stresses, for Carbon Steel:

The PED: $f = \min\left(\frac{UTS}{2.4} ; \frac{Yield}{1.5}\right)$

Division 1:

TABLE 10-100
CRITERIA FOR ESTABLISHING ALLOWABLE STRESS VALUES FOR TABLES 5A AND 5B

Product/Material	Below Room Temperature		Room Temperature and Above			
	Tensile Strength	Yield Strength	Tensile Strength	Yield Strength	Stress Rupture	Creep Rate
All wrought or cast ferrous and nonferrous product forms except bolting	$\frac{S_T}{2.4}$	$\frac{S_y}{1.5}$	$\frac{S_T}{2.4}$	$\frac{R_y S_y}{1.5}$	$\text{Min.} \left(F_{\text{avg}} S_{R \text{ avg}}, 0.8 S_{R \text{ min}} \right)$	$1.0 S_{C \text{ avg}}$
All wrought or cast austenitic and similar non-ferrous product forms except bolting [Note (1)]	$\frac{S_T}{2.4}$	$\frac{S_y}{1.5}$	$\frac{S_T}{2.4}$	$\text{Min.} \left(\frac{S_y}{1.5}, \frac{0.9 S_y R_y}{1.0} \right)$	$\text{Min.} \left(F_{\text{avg}} S_{R \text{ avg}}, 0.8 S_{R \text{ min}} \right)$	$1.0 S_{C \text{ avg}}$



Consider the philosophy behind **Division 2**

To a large degree followed the **PED**:

□ **European Pressure Equipment Directive**

With regard to the hydrotest pressure

The PED: **$\max(1,43 \times MAWP; 1,25 \times MAWP \times Sa/S)$**

Division 2:

8.2.1 Test Pressure

- a) Except as noted for vessels of specific construction identified in paragraph 8.1.3, the minimum hydrostatic test pressure shall be the greater of:

$$P_T = 1.43 \cdot MAWP \quad (8.1)$$

or

$$P_T = 1.25 \cdot MAWP \cdot \left(\frac{S_T}{S} \right) \quad (8.2)$$



Consider the philosophy behind **Division 2**

ASME (Division 1/2) destined Europe have problems

- ☐ Europe uses EN normative material
- ☐ The USA use ASME approved materials – mandatory
- ☐ Approvals are awarded by European based Inspection Bodies

Division 1 is a safer code with larger safety margins than the PED

Europe does not seem inclined to approve ASME materials

This is the end of the presentation